

The exoplanet TOI -560 C: The supposed Mini-Neptune

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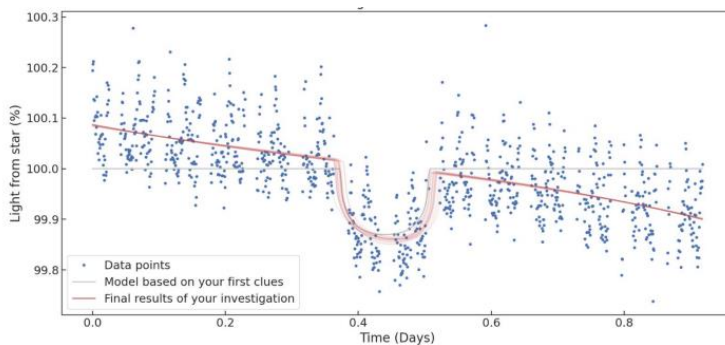
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Abstract

In this project, it has been analysed multiple data given by the European Space Agency with CHEOPS (Characterising Exoplanets Satellite) satellite whose objective is to establish theories in a more precise way about the planetary formation and chemical composition of planets. According to this Data, it was found the transit depth, radius of the planet, radius of the star, distance, density, and habitability of the exoplanet TOI -560C

Results

The first characteristic of the exoplanet that was calculated was the depth of transit which was 0.1130601861%. Then it was calculated the distance between the star and the planet, it was needed the planet radio and the star radio that ended up being 0.653 Rs or



454292.1 Km and 2.395 Rt o
15275.31 km respectively
according to the adjust of the
graph, the resulting distance was
 $2.733167337 \times 10^{10}$ m or

27331673.4 km.

Figure 1 Graph of light curve of the transit of the exoplanet TOI-560c

As third it was needed to determine the habitability according to the temperature, the planet that was around $225\text{ }^{\circ}\text{C}$ almost the point in which tin melts, that became it inhabitable. At last, it was calculated the density of the exoplanet, but first it was needed

to figure out the volume that was $1.492996217 \times 10^{13} \text{ km}^3$ and that lead to calculate the density that was $3.880139772 \times 10^{12} \text{ kg}/\text{km}^3$ or $3.880139772 \text{ g}/\text{cm}^3$.

Analysis

The radius of the exoplanet is similar to the one of the planet Neptune as it has 3.88 Rt which is closest to the radius of the exoplanet.

Taking into account the mass of the exoplanet which is 9.70 times the mass of the

	Planet	Radius (R_{Earth})	Mass (M_{Earth})	Mean Orbital Distance (au)	Orbital Period (days)	Density (g/cm^3)	Mean Temperature ($^{\circ}\text{C}$)
Rocky	Mercury	0.383	0.055	0.39	88	5.43	167
	Venus	0.949	0.815	0.72	224.7	5.24	464
	Earth	1	1	1	365.25	5.51	15
	Mars	0.532	0.107	1.5	687	3.93	-65
Gas giant	Jupiter	11.21	317.8	5.2	4331	1.33	-110
	Saturn	9.45	95.2	9.6	10747	0.69	-140
	Uranus	4.01	14.5	19.2	30589	1.27	-195
	Neptune	3.88	17.1	30.2	59800	1.64	-200

Figure 2 Table with the information of the solar system planets

earth, the closest planet is Uranus with 14.5 times the mass of the earth.

With the mean orbital distance and orbital period, the closest planet to the exoplanet is Mercury, although the results are not very similar, since the mean orbital distance is 0.39 and the orbital period is 88, which has no similarity with TOI-560C.

Finally, the density of the exoplanet is almost similar to the one of Mars with a difference of 0.5 and the average temperature is similar to that of Mercury with a difference of 58°C .

Conclusions

The exoplanet TOI -560 C is located in the uninhabitable zone of planets, since it has a high temperature, it is a place that cannot sustain life, due to the high temperatures that makes impossible to have liquid water on the surface, which is an important requisite for life as we know it.

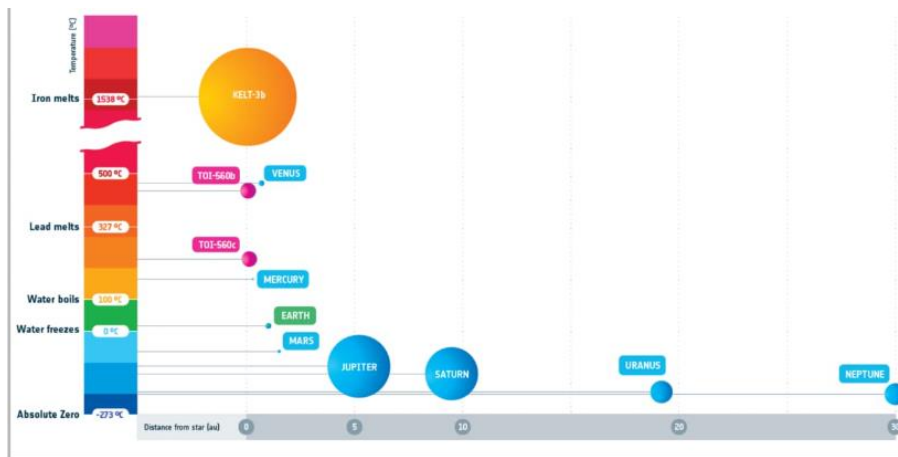


Figure 3 Scale of temperature of the Solar System Planets

Respect to its composition it could be said that is rocky planet, due it's high density and that has a similar size to Neptune. However, despite the fact that this exoplanet is called Mini-Neptune in this project we can proof that is false because ignoring the fact that its size is similar to Neptune, it could not be found more characteristics that could relate this exoplanet with Neptune. Also, it could be said that the error of the radio of the planet was 29.5% from the radio calculated in this project and the real radio of the exoplanet.

Attachments

$$T_d(\%) = \frac{\pi \cdot R_p^2}{\pi \cdot R_s^2} \cdot 100$$

$$= \frac{\pi \cdot (5279.91 \text{ km})^2}{\pi \cdot (454292.1 \text{ km})^2}$$

$$= 0.1130601861\%$$

$$T^2 = \left(\frac{4\pi^2}{GM_s} \right) d^3 \quad 0.73$$

$$d = \sqrt[3]{T^2 \cdot \frac{GM_s}{4\pi^2}}$$

$$d = \sqrt[3]{\frac{(1631206.08 \text{ s})^2}{4\pi^2} \cdot 6.67 \cdot 10^{-11} \text{ m}^3 \text{ kg}^{-1} \text{ s}^{-2} \cdot 1.491532 \cdot 10^{30} \text{ kg}}$$

$$d = 27331673970 \text{ m}$$

$$\text{or} \\ 0.18270095183914 \text{ UA}$$

Figure 4 Calculation of results