## TOI-560

# Rafael Santiago Sarmiengo Quisbert, Nicolás Eduardo Larrazabal Flores Fernanda Cristina Luz Vázquez De La Barra

with respect TOI-560 we get te following data:

Name      Median value      Lower error      Upper error      Case note        Radius of the planet      2.384      0.071      0.078      Cheops observations        (in units of Earth radii)      0.653      0.017      0.015      Cheops observations	Target TOI-560c
Radius of the planet  2.384  0.071  0.078  Cheops observations    (in units of Earth radii)	T0I-560c
Radius of the planet  2.384  0.071  0.078  Cheops observations    (in units of Earth radii)  0.653  0.017  0.015  Cheops observations    Radius of the star  0.653  0.017  0.015  Cheops observations	T0I-560c
(in units of Earth radii) Radius of the star 0.653 0.017 0.015 Cheops observations (in units of Folm and(i))	
Radius of the star 0.653 0.017 0.015 Cheops observations	
(in units of Colon modif)	T01-568d
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Addition of South Andrew Additions Addition Addi	TOT-SCO
He will be the second s	101-3000
(in units of days)	
Orbital period (in units of days) 18.8797 Other observations from the archi	TOI-5680
Orbital semi-major axis (in units of AU) 0.1242 Other observations from the archi	T0I-5680

Figure 1: principal data

### 1 Determination of the radius of the planet

We will use the following formula:

$$D\% = \frac{\pi R_p^2}{\pi R_s^2} * 100 \tag{1}$$

We need to find  $R_p^2$ , from the graphics we will obtain the deep of the transit:



Figure 2: Curve obtained

we observe that the deep of the transit is D% = 100% - 99.8% = 0.2% so the expression for  $R_p$  is  $R_p = \sqrt{\frac{0.2}{100}R_s^2}$ , in the figure 1 we observe  $R_s = 0.653R_{\odot}$ ,  $(R_{\odot}$  is the radius of the sun) so the radius of the planet is:

$$R_p = \sqrt{\frac{0.2}{100} (0.653 R_{\odot})^2} = 0.0292 R_{\odot}$$

#### 2 Determination of the distance of the Planet to the Star

In this step we will use the third law of Kepler, that says :

$$T^2 = \frac{4\pi^2}{GM} d^3 \tag{2}$$

We know the period from the figure 1 (T = 18.8797 dias) and also we know the mass of the star ( $M = 0.73 M_{\odot}$ )

So we get the equation to the distance to the star:

$$d = \sqrt[3]{\frac{GMT^2}{4\pi^2}} \text{ we calculate, considering } M_{\odot} = 1.99 \times 10^{30} \text{kg., } 1 \ day = 24[h] * 3600[s],$$
  
$$d = \sqrt[3]{\frac{(6.673 \times 10^{-11})(0.73M_{\odot})(18.8797d)^2}{4\pi^2}} = 1.869 \times 10^{10}[m] = 0.125[ua]$$
  
where we consider  $1[ua] = 1.496 \times 10^{11}[m]$ 

#### 3 Temperature

from the distace obtained, we can see that the planet are much close to his star, so the temperature in the planet must be really high, so the possibility of life can be discarted.

#### 4 Density and Composition

In this step we will use two equations:

$$\rho = \frac{M_p}{V} \tag{3}$$

And

$$V = \frac{4}{3}\pi R_p^3 \tag{4}$$

combined this two equations we get:

$$\rho = \frac{3M_p}{4\pi R_p^3}$$

We know that the mass of the planet is:  $M_p = 9.7M_T$  where  $M_T = 5.98 \times 10^{27}[g]$  is the mass of the Earth, and also know the radius of the planet  $R_p = 2.384R_T$  where  $R_T = 6370 \times 10^5 [cm]$ .making the calculations:  $\rho = \frac{3(9.7(5.98 \times 10^{27} [g]))}{4\pi (2.384(6370 \times 10^5 [cm]))^3} = 3.954 \frac{g}{cm^3}$  we can use the following table to know about the composition:

Planeta	densidade média
Mercúrio	5,44
Vênus	5,25
Terra	5,52
Marte	3,94
Júpiter	1,24
Saturno	0,63
Urano	1,21
Netuno	1,67
Plutão	1 (??)

Figure 3: mean densitys of the planet of the solar system

so we observe that the density is approximately Mars density, so is a Earthlike planet, probably composed of SILICE, IRON and BASALT.